



# Inrtoduction of STAR Integrated CalVal System (ICVS)

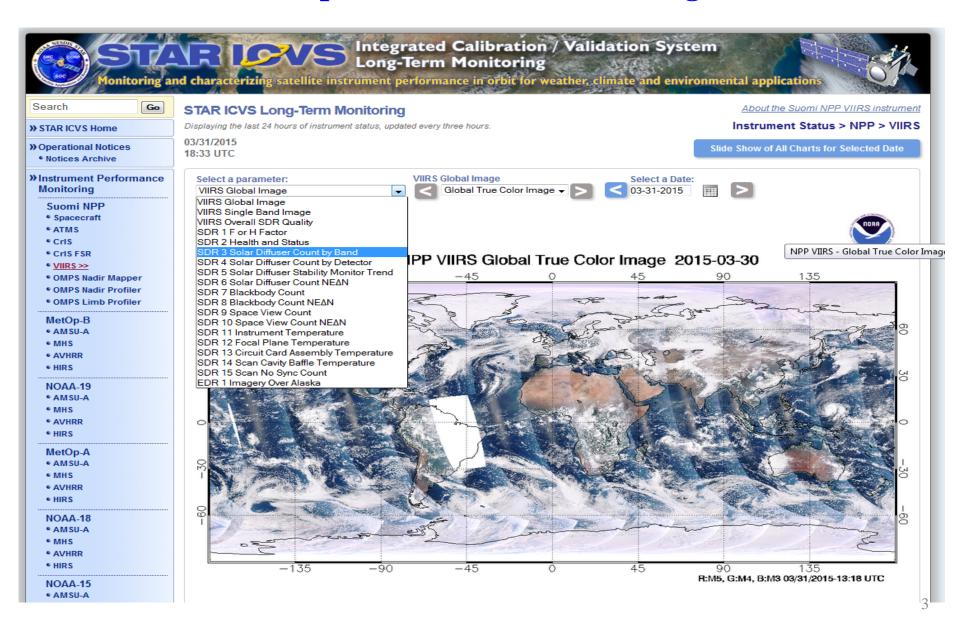
Fuzhong Weng NOAA Center for Satellite Applications and Research

2015 STAR ICVS Annual Instrument Performance Review, May 8, 2015

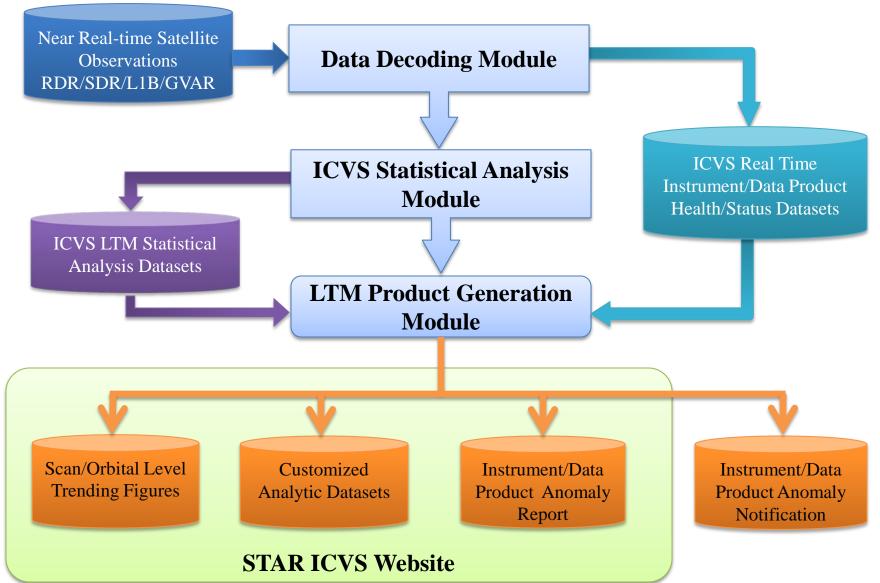
### **NOAA Integrated CalVal System (ICVS)** *Monitor on-orbit performance of NOAA satellite instruments*

- Monitors over 400 parameters for 28 instruments onboard NOAA/METOP/SNPP satellites
- Monitors and trends the SNPP spacecraft parameters, supporting NASA flight team
- Monitors the instrument performance through trending the instrument house-keeping and telemetry parameters
- Detects the anomaly events and automatically sends the warning messages to NOAA satellite operators, NASA instrument scientists, and senior program managers
- Characterizes the sounder SDR data quality with respect to the numerical weather prediction model (NWP) simulations
- Integrates the state-of-the art CalVal sciences into operations to serve the broad applications

### NOAA Integrated CalVal System (ICVS) Online Access: http://www.star.nesdis.noaa.gov/icvs



## **NOAA ICVS Data Processing Flowchart**



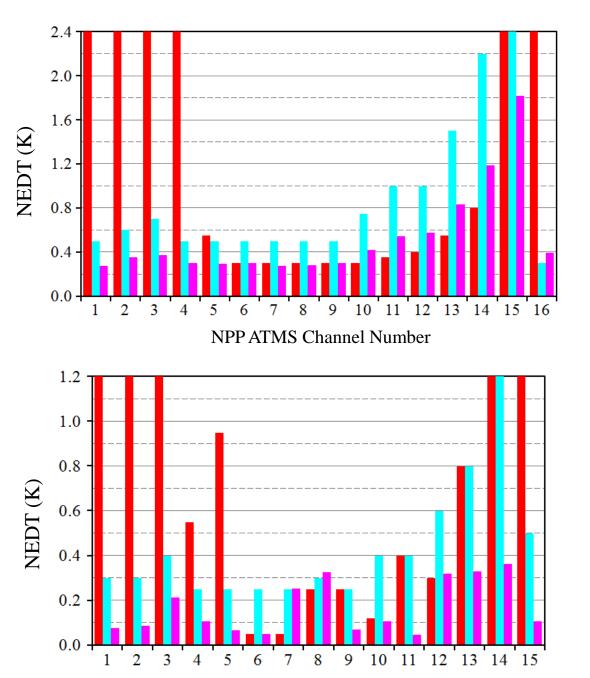
## **Impacts of ICVS NEDT on NWP Users**

### Weights Assigned to AMSU-A Observations

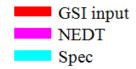
$$J(\mathbf{x}) = \frac{1}{2} (\mathbf{x} - \mathbf{x}_b)^T \mathbf{B}^{-1} (\mathbf{x} - \mathbf{x}_b) + \frac{1}{2} (H(\mathbf{x}) - \mathbf{y}^{obs})^T (\mathbf{O} + \mathbf{F})^{-1} (H(\mathbf{x}) - \mathbf{y}^{obs})$$
$$J(\mathbf{x}_a) = \min_{\mathbf{x}} J(\mathbf{x}) \quad \forall \mathbf{x} \text{ near } \mathbf{x}_b$$

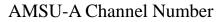
- **x** analysis variable
- $\mathbf{x}_{a}$  final analysis
- $\mathbf{x}_{h}$  background
- $\mathbf{B}$  background error covariance  $\mathbf{F}$  forward model error covariance

- **v**<sup>obs</sup> observations
- **O** observation error covariance
- H observation operator

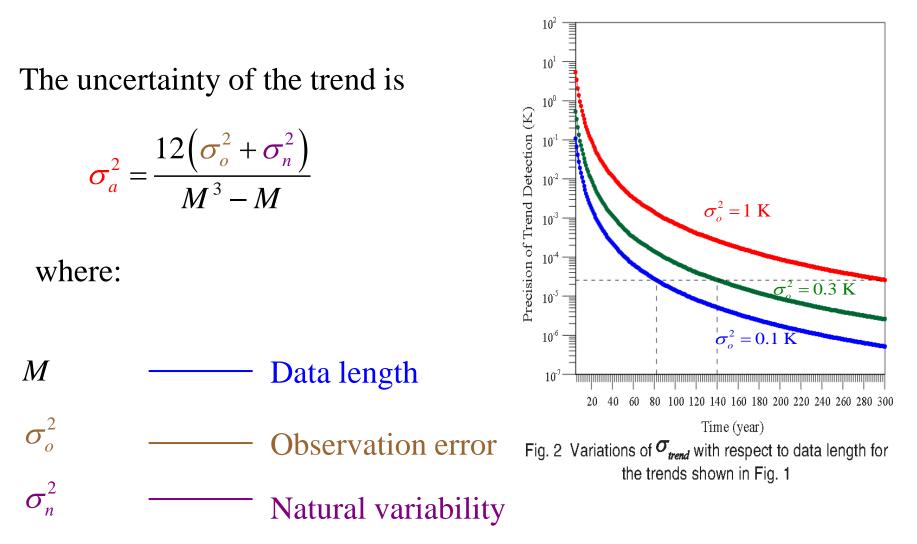


### ATMS and AMSU-A Observation Errors





### **Impacts of ICVS NEDT on Climate Analysis**



Zou, X, 2012, Advances Meteor. Sci.&Tech. (1), 42-43

## ICVS Noise Trending is Now SI Traceable Though Using Allan Deviation

- Allan Deviation was proposed by NIST for characterizing the random noise from a time series which has a variable mean
- It was never implemented for meteorological satellite instruments . Currently, all the NOAA instrument noises are computed by the standard deviation which is only valid for the stationary mean.
- With Allan deviation, all the NEDT and NEDN are SI traceable

D. W. Allan, Should the classical variance be used as a basic measure in standards metrology Instrumentation and Measurement, IEEE Trans. on, IM-36, pp.646-654, 1987

## Summary

- NOAA ICVS is critical for earlier detection of instrument anomalies and provides the critical information for the root-cause analysis
- NOAA ICVS monitors the instrument noises and biases that are being used by broader users including NWP communities
- NOAA ICVS is designed with the modern software architecture and meets the enterprise standard
- NOAA ICVS is becoming a gold standard for all the space agencies and is recommended as part of the NOAA common ground system

# **Backup slides**

## **ICVS Instruments Status Summary**

JPSS	<b>S-NPP</b> PM Primary 10-28-2011 ~ 3 yr	POES	<b>MetOp-B</b> AM Primary 09-17-2012 ~ 2 yr	<b>NOAA-19</b> PM Primary 06-02-2009 ~ 5 yr	<b>MetOp-A</b> AM Backup 10-19-2006 ~ 8 yr	<b>NOAA-18</b> PM Backup 05-20-2005 ~ 9 yr
ATMS	SD Main Motor Current	AMSU-A1	A1-2 PRT Dispersion	Ch. 7, 8 ΝΕΔΤ	Ch. 3, 7, 8 ΝΕΔΤ	
CrIS		AMSU-A2				Ch1, 2 ΝΕΔΤ
VIIRS		MHS		Η3 ΝΕΔΤ		
OMPS		AVHRR				Ch. 1 SNR
		HIRS		Ch. 1, 2, 4, 5, 6, 7, 10, 14 NE∆N Ch.20 NE∆a		Ch. 2, 4, 5, 6, 7, 9, 10, 19 ΝΕΔΝ



## **ICVS Summary of SNPP Instruments**

#### • SNPP Spacecraft status

- Health and status Nominal condition
- Instrument health and status Nominal

#### • SNPP ATMS status

- Instrument sensitivity (NEΔT) Nominal
- Instrument health and status SD Main Motor Current Anomaly Detected
- TDR data product quality Nominal

#### SNPP VIIRS status

- Instrument performance (F-/H-factor) Major update applied
- Instrument health and status Nominal
- SDR data product quality Nominal

#### • SNPP CrIS status

- Instrument performance (NEΔN) Nominal
- Instrument sensor health and status Nominal
- SDR data product quality Nominal

#### • SNPP OMPS status

- Instrument performance Nominal
- Nadir Mapper (NM) health and status Nominal
- Nadir Profiler (NP) health and status Nominal
- Limb Profiler (LP) health and status Nominal

## **ICVS Summary of NOAA/METOP Instruments**

#### • POES AMSU/MHS status

- MetOp-B AMSU/MHS
  - AMSU NEAT within specification
  - AMSU PRT maximum dispersion is higher than specification ongoing investigation
  - MHS NEAT within specification
- NOAA-19 AMSU/MHS
  - AMSU Ch.7 and Ch.8 NEAT out of specification, Ch.8 Gain jump
  - MHS H3 NEAT out of specification
- MetOp-A AMSU/MHS
  - AMSU Ch.3 and Ch. 8 NEAT out of specification, Ch.7 is fail
- NOAA-18 AMSU/MHS
  - AMSU-A Channel 1 and 2 NE∆T out of specification
  - MHS NEAT within specification

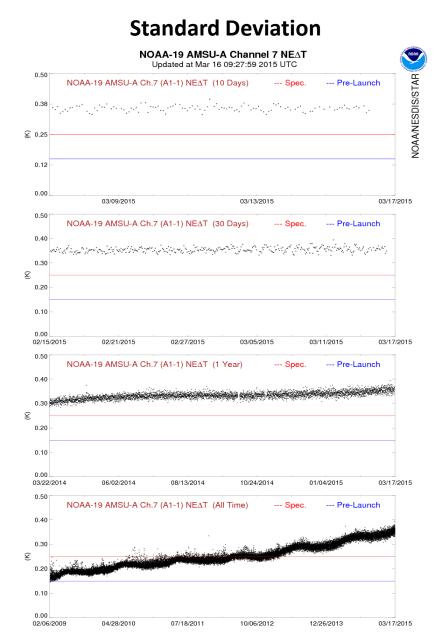
#### • POES AVHRR status

- MetOP-B AVHRR in normal condition
- NOAA-19 AVHRR in normal condition
- MetOP-A AVHRR in normal condition
- NOAA-18 AVHRR
  - Ch. 1 SNR slightly out of specification

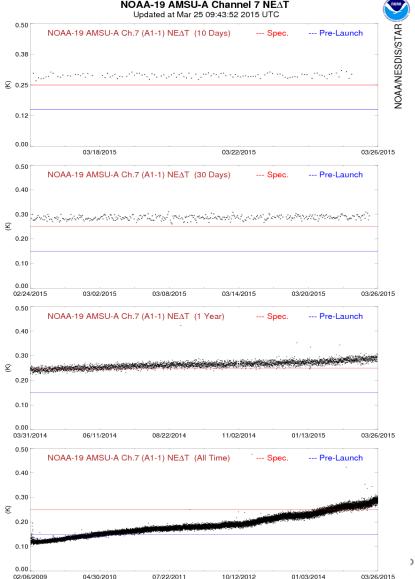
#### • POES HIRS status

- MetOP-B HIRS
  - NE $\Delta$ N within specification
- NOAA-19 HIRS
  - Ch. 1, 2, 4, 5, 6, 7, 10, and 14 calibration target out of limits
- MetOp-A HIRS
  - NE $\Delta$ N within specification
- NOAA-18 HIRS
  - Ch. 2, 4, 5, 6, 7, 9, and 10 NE $\Delta$ N out of specification

### **Comparison of Traditional NEDT vs Allan Deviation** NOAA-19 AMSU-A Ch.7 (54.9 GHz)



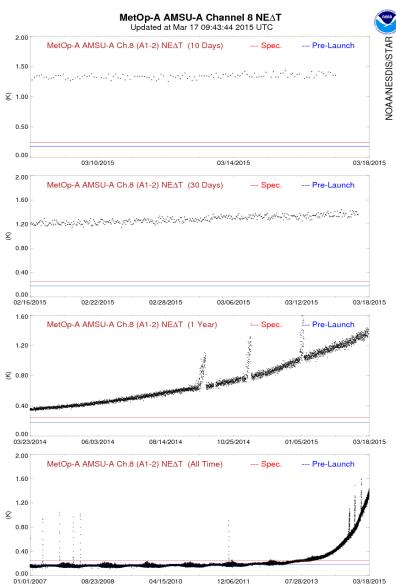
#### **Allan Deviation**



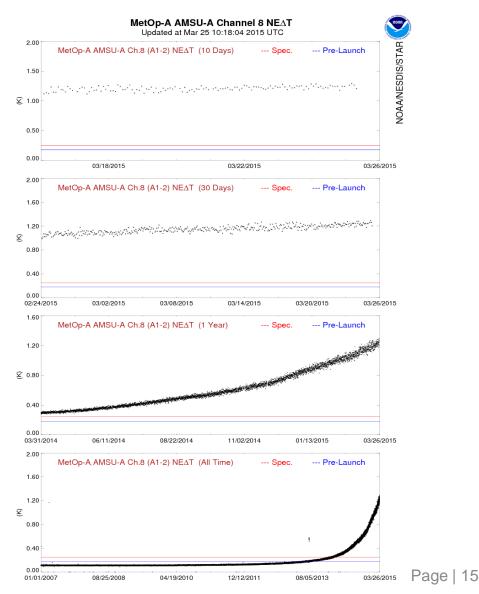
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### **Comparison of Traditional NEDT vs Allan Deviation** MetOp-A AMSU-A Ch.8 (55.5 GHz)

**Standard Deviation** 



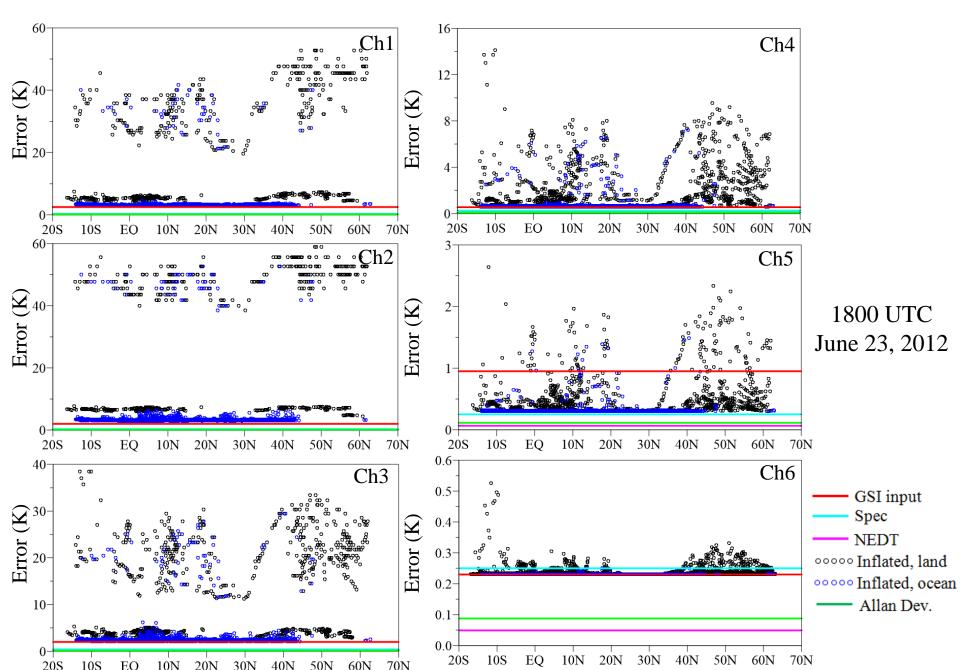
#### **Allan Deviation**



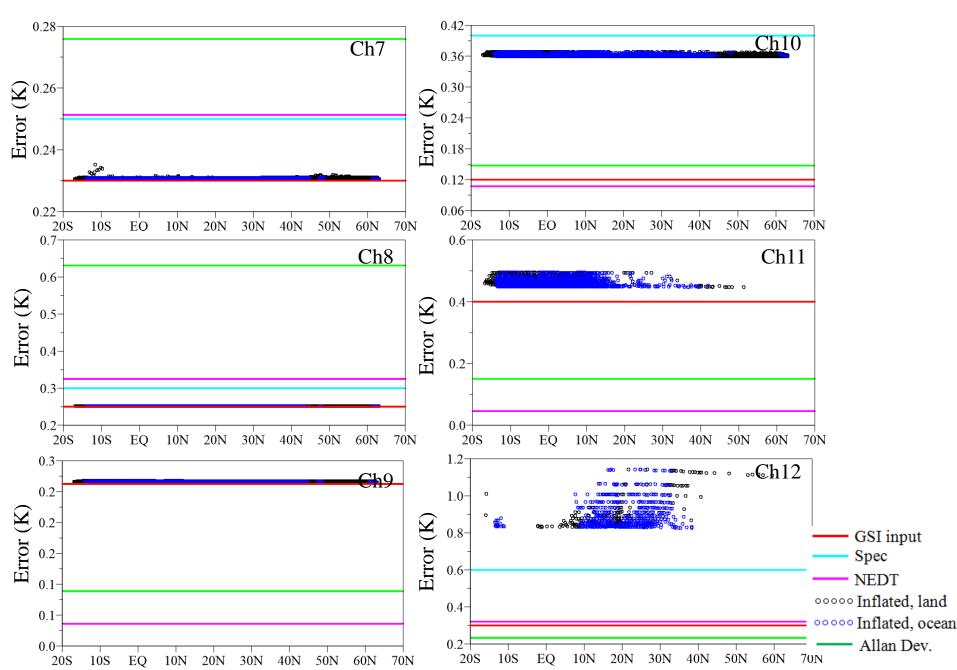
### Monitor NOAA-15 AMSU-A NEDT A Long-Lived Microwave Sounder still Used in NOAA operation

			AA-15 AMSU- Jpdated at Mar 31				
0.50	NOAA-	15 AMSU-A Ch.	5 (A1-2) NEAT (10	Days)	Spec.	Pre-La	unch
0.38							_
0.25							unch
0.12						·····	
0.00		03/24/2015		03/28/2015	5		04/01/2015
0.40	NOAA-	15 AMSU-A Ch.	5 (A1-2) NEAT (30	Days)	Spec.	Pre-La	unch
0.30							
0.20							
0.10		and and an	a apart ( sparse a	an an an an an			
0.00 03/02		03/08/2015	03/14/2015	03/20/2015	5 03	8/26/2015	04/01/2015
0.40	NOAA-	15 AMSU-A Ch.	5 (A1-2) NEAT (1	Year)	Spec.	Pre-La	unch
0.30							_
0.20							
0.10			and the second	and the second		and the second secon	<del>ال</del> موانية: (مَانْكُونَا مُعَانَيْهُ مُ
0.00							
04/06/ 0.40 j	/2014	06/17/2014	08/28/2014	11/08/2014	01	/19/2015	04/01/2015
5.40	NOAA-	15 AMSU-A Ch.	5 (A1-2) NEAT (A	ll Time)	Spec.	Pre-La	unch
0.30							_
0.20							-
0.10							
0.00	/1998	02/07/2002	05/22/2005	09/03/2008		2/17/2011	04/01/2015

### **Inflated Errors of NOAA-19 AMSU-A Channels 1-6**



### **Inflated Errors of NOAA-19 AMSU-A Channels 7-12**



## Detection of Climate Trend and Its Sensitivity to Measurement Precision and Data Length

Given an observed time series:  $\{x_i^o, i = 1, 2, ..., M\}$ 

Using a linear-regression model:  $x^n = a(t - \overline{t})$ 

True value of variable x at any time:  $x^{t} = x^{n} + \varepsilon^{n} \equiv a(t - \overline{t}) + \varepsilon^{n}$ 

The observed time series:  $x^o = x^t + \varepsilon^o \equiv a(t - \overline{t}) + \varepsilon^n + \varepsilon^o$ 

which can be expressed in a matrix form :  $\mathbf{x}^o = \mathbf{A}a + \mathbf{\epsilon}$ 

where:  

$$\mathbf{x}^{o} = \begin{pmatrix} x_{1}^{o} \\ x_{2}^{o} \\ \dots \\ x_{M}^{o} \end{pmatrix} \qquad \mathbf{A} = \begin{pmatrix} \overline{t_{1} - \overline{t}} \\ \overline{t_{2} - \overline{t}} \\ \dots \\ \overline{t_{M} - \overline{t}} \end{pmatrix} \qquad \mathbf{\varepsilon} = \begin{pmatrix} \varepsilon_{1}^{n} + \varepsilon_{1}^{o} \\ \varepsilon_{2}^{n} + \varepsilon_{2}^{o} \\ \dots \\ \varepsilon_{M}^{n} + \varepsilon_{M}^{o} \end{pmatrix}$$

## Detection of Climate Trend and Its Sensitivity to Measurement Precision and Data Length

The linear regression coefficient (*a*) is obtained by a least-square fit which minimizes the difference between observations and linear regression model:

$$J = (\mathbf{x}^o - \mathbf{A}a)^T (\mathbf{x}^o - \mathbf{A}a)$$

For a twelve month/year time series, we can obtain the trend as

$$a = \frac{12\sum_{i=1}^{M} x_i^o \left(t_i - \overline{t}\right)}{\left(M^3 - M\right)}$$

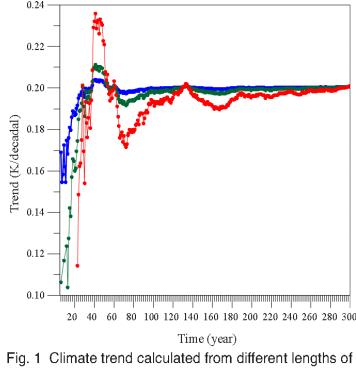


Fig. 1 Climate trend calculated from different lengths of time series with three different observation error variances: 0.1K (blue line), 0.3K (green line) and 1K (red line)

Zou, X, 2012, Advances Meteor. Sci.&Tech. (1), 42-43